

COURSE CURRICULUM POSTGRADUATE COURSES UNDER CHOICE BASE CREDIT SYSTEM

M. SC.

With effect from 2018-20

RADHA GOVIND UNIVERSITY, RAMGARH



Radha Govind University, Ramgarh, Jharkhand Department of Mathematics

PROGRAM: POST GRADUATE

Vision & Mission

Vision:

Aspires to be one of the top most Mathematics Departments in the country and compete globally as a centre of Teaching and Research in Mathematics.

Mission:

M1:To impart world-class education in an environment of fundamental and applied research in Mathematics.

M2: To conduct cutting—edge research to create new knowledge and to spread this knowledge through publications in reputed leading journals.

M3: To prepare the professional groups in Mathematics to support the national development programs within the public and centres of higher learning.

M4: To develop human potential to its fullest extent so that scholarly competent and very talented captains can emerge in various professions.

Program Educational Objectives (PEO's)

The objectives of the M.Sc. (Mathematics) Programme are to develop students with the following capabilities:

- **PEO1:** To provide students with knowledge and capability in formulation and analysis of mathematical models of real life applications.
- **PEO2**:To provide student's with advanced mathematical and computational skills that prepare them to pursue higher studies and conduct research.
- **PEO3**: To provide with individual and team work that prepare them to function as an individual, and as a member or leader in diverse teams and in multidisciplinary settings.
- **PEO4**: To provide with usage of modern tools that prepare them to create, select and apply appropriate techniques, resources, and modern mathematical activities with an understanding of the limitations.

Program Outcomes (PO's)

On successful completion of the M.Sc. (Mathematics) Programme, students will be able to:

PO1:KNOWLEDGE: Communicate mathematical ideas effectively and lucidly in writing as well as orally.

PO2: **PERPETUAL LEARNING**: Pursue research or careers in industry, mathematical sciences and allied fields.

PO3: **SKILL**: Acquire relevant knowledge and skills appropriate to professional activities and demonstrate the highest standards of ethical issues in mathematical sciences.

PO4 :**ETHICAL VALUES** : Become an enlightened citizen with a commitment to deliver one's responsibilities within the scope of bestowed rights and privileges.

PO5:PROBLEM SOLVER/ THINKER: Inculcate critical thinking to carry out scientific investigation objectively without being biased with preconceived notions.

PO6:DIGITAL LEARNER: Have sound knowledge of mathematical modelling, programming and computational techniques as required for employment in industry.

PO7: **INQUISITIVE**: Possess a strong foundation in core areas of Mathematics, both pure and applied.

PO8: **THINKER**: Think mathematically in a critical manner.

PO9: **COMMUNICATOR**: Communicate Mathematics accurately, precisely and effectively.

PO10: **AWARENESS**: Develop a range of generic skills helpful in employment, internships and social activities.

PO11: **RESEARCH / INNOVATIVE** : Undertake further studies in Mathematics and its allied areas on multiple disciplines concerned with Mathematics.

PO12:JOB OPPORTUNITIES: Students will become employable; they will be eligible for career opportunities in Industry, or will be able to opt for entrepreneurship.

Program Specific Outcomes (PSO's)

After completing the Programme, the students will be able to:

- **PSO1:** Take part and qualify for the state and national level competitive examinations such as SET, CSIR-UGC NET, GATE, NBHM, ISRO, DRDO, NAL, ICT etc.
- **PSO2:** Join higher education for Ph. D. Programme and for a variety of jobs both in the industry and in academic institutions all over the world.
- **PSO3:** Student should be able to apply their skills and knowledge that is translate information presented erbally into mathematical form, select and use appropriate mathematical formulae or techniques in order to process the information and draw the relevant conclusion.

| Course Title | MODERN ALGEBRA | |
|-----------------------------|----------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-----------------|
| Type of Course | | |
| Course Assessn | nent Semester Tests -30% | |
| | Semester Examination 70% | 1 |
| | Contents of Syllabus | No of Questions |
| 1 1 | neory mutation groups S ₅ and A, Normal and Subnormal series, Jordan-Holder theorem, Solvable groups. Group action, orbit -stabilizer theorem, Sylow's theorems (proofs using group | 02 |
| | transformation, Canonical Forms — Similarity of linear transformations. Invariant values and Eigen vectors, Reduction to diagonal, triangular and Jordan forms. The sition theorem | 02 |
| Field theory-Exte | nsion fields, finite extension, Algebraic and transcendental extensions. splitting fields- queness, Separable and inseparable extension. Normal extensions. Perfect fields. | 02 |
| Unit IV — Finite | Field | 02 |
| | orems on finite fields, Primitive elements. Algebraically closed fields. Automorphism of sextension. Fundamental theorem of Galois Theory. | 02 |
| Textbooks* /Reference Books | D.S. Dummit, R.M. <i>Foote,Abstract Algebra</i> — John Wiley&Sons (2003) I.N. ☐ Herstein. <i>Topics in Algebra</i>, Wiley Eastern Ltd., New Delhi, 1975 M. Artin. <i>Algebra</i>, Prentice-Hall of India, 1991. K. Hoffman and R. Kunze (2" <i>edition</i>), <i>Linear Algebra</i>, Prentice Hall of India, New (1997) N.S. Gopala Krishnan, <i>University Algebra</i>, New Age Int.Publ. William J Gilbert, Madern Algebra with Applications, Wiley India, 2005. | Delhi |

| Type of Course | Theory, Paper II | |
|-------------------|--------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-----------|
| | | |
| Course Assessm | | |
| | Semester Examination 70% | 3.7 |
| | Contents of Syllabus | No of |
| | | Questions |
| | | |
| | ition and existence of Reiemann Stieltjes integral Properties of the Integral | 02 |
| Integration and | differentiation the fundamental theorem of Calculus (Fourier series Bessels | 02 |
| inequality. Pers | eval theorem, Fourier series | |
| representation o | , and the second | |
| representation o | | |
| | | |
| UNIT II. Carr | on and and assign of frontions and uniform converses. Carely | 02 |
| | ences and series of functions pointwise and uniforin convergence Cauchy | |
| | Form convergence Weierstrass M test, Abel's and Dirichlet's test for uniform | |
| convergence and | d continuity uniform convergence | |
| UNIT III · Rie | mann Stieltjes integration uniform convergence and differentiation, Weierstarss | |
| approximation t | heorem Power Series uniqueness theorem for power series Abel s and Tauber's | 02 |
| theorem | Form to the control of the control o | 02 |
| UNIT IV. Eur | ctions of several variables linear transformation Derivatives in an open subset of | |
| | ± | 02 |
| | artial derivatives interchange of the order of differentiation Derivatives of | 02 |
| | oung theorem Schwartz theorem Taylor's theorem, Inverse function theorem | |
| Implicit function | n theorem Jacobians | |
| | | |
| Textbooks | | |
| */ | 1 Welton Dadin Dringinles of Mothematical Analysis (2nd edition) Mc Cross IIil | |
| Reference | 1 Walter Rudin Principles of Mathematical Analysis (3rd edition) Mc Graw-Hill. | |
| Books | Kogakushu 1976 Internations student edition | |
| | 2. T.M Apostal Mathematical Analysis, Narosa publishing House New Delhi 1 | 985, 3 |
| | Shanti Narain Real Analysis Chand & Co New Delhi. | |
| | 4 Malik and Arora Mathematical Analysis | |
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| Course Title | | Topology | |
|---------------------------------------|----------------|---------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-----------|
| Type of Cour | rse | Theory, Paper III | |
| Course Assess | sment | Sessional Tests 30% | |
| | | Semester Examination 70% | _ |
| | | Contents of Syllabus | No of |
| | | | Questions |
| | | | |
| UNIT I | | | 02 |
| | nbers Sc | cuntable sets Infinite Sets and the Axiom of Choice (statement only) chroeder Bernstein theorem Cantor s theorem and continuum hypothesis. Int only) | |
| subscts. No | eighbou | n and examples of topological spaces closed sets, Closure. Dense shoods Interior exterior and boundary. Accomulation points and derived base Subspaces and relative topologies. | 02 |
| second co | untabili | nd Second countable spaces Lindelof's theorem separable spaces, ty and separability separation axioms To TI, T2 T3 T4 their nd basic properties. Urysohn' Lemma. Tietze extension theorem. | 02 |
| UNIT IV | | | 02 |
| Compactnes | ss and f | nuous functions and compact sets. BasiC property of compactness finite intersection property Tychonoffs Theorem connected and and their basic properties, | |
| Textbooks */ Reference Books | 2. J 3. W 4. K | D Joshi: Introduction to General topology, Wiley eastern Ltd. 1963 L Kelly – General Topology, Van Nostrand, Reinhold Co. New York, 1995. J Pervin- Foundation of general Topology, Academic Press Inc New York 19 K Jha – Advance General Topology, Nav Bharat Prakashan Delhi F Simmons – Introduction to Topology and Modern Analysis, Mc Graw Hill. | |

| Course Title | Complex Analysis | |
|---------------------------------------------|---------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-----------------|
| Type of Course | Theory, Paper IV | |
| Course Assessme | ent Sessional Tests 30% | |
| | Semester Examination 70% | T |
| | Contents of Syllabus | No of Questions |
| 1 | Integration, Cauchy Goursat's theorem, Cauchy's Integral formula, Higher Morera;s Theorem, Cauchy's inequality, Liouville's theorem. | 02 |
| UNIT II The fundamental tl Lemma, Laurent's | neorem of Algebra, Taylor's theorem, Maximum modulus principle, Schwarz series. | 02 |
| | es, Meromorphic function, the argument principle, Rouche's theorem, Poles and al theorem, residues, Cauchy Residue Theorem, Evaluation of integrals. | 02 |
| mapping. Analytic | ation, their properties and classification, Definition and examples of conformal continuation uniqueness of direct analytic continuation, uniqueness of analytic a curve, Power series, method of analytic continuation. | 02 |
| Textbooks* /Reference Books | V Ahifor – Complex Analysis, Mc Graw Hill, 1979 S Lang Complex Analysis, Addison Wesely 1977. Walter Rudin, Real and Complex Analysis, Mc Graw Hill Co 1966. E C Tichmarsh – The theory of functions, Oxford University Press, Londo S Ponnusamy – foundation of Complex analysis, Narosa Publishing House Shanti Narain – Complex variables | |

| Course Title | Basic Computer and Programming in 'C' |
|--------------|---------------------------------------|

| Type of Course | Theory, Paper V | |
|-----------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-----------|
| Course Assessment | Sessional Tests 30% | |
| | Semester Examination 70% [40% Theory, 30% Practical] | |
| | Contents of Syllabus | No of |
| UNIT I: | | Questions |
| INTRODUCTION TO ,Generations of compu | COMPUTERS: Block Diagram of computer, Functioning of computer ter, Classification of compuers, Characteristics, Advantage and Limitations of memory, Primary and Secondary, Types of Primary memory. | 02 |
| binary arithmetic, ASO ALGORITHM AND F algorithm, classificatio | nal, Binary, Octal, Hexadecimal, number system, features and convariance, CII and EBCDIC codes. LOW CHART: Algorithm for problem solving, an introduction, properties of an n, algorithm logic, flow chart. | 02 |
| Importance of C, basic Scalar Data Type \rightarrow D | overview of programming, programming language classification, History of C, a structure of C, program, executing a C program, compiling and linking. eclaration, different types of integers, different kinds of Integer constant, Floating on mixing types enumeration types, the void data type, Tydefs, find the address | 02 |
| operators, assignment of expressions, Evaluation Control flow, condition continue' statement. The | ons, Operatus, Introduction, Orthometic operators, rational operators, logical operators, Increment and decrement operators, Bit wise operators. Arithmetic of expresson, precedence of arithmetic operator. all branching, The Switch statement, Looping, Nested loops, the 'brake and ne Go to statement. Infinite loops, arrays and pointers, declaring an array, Arrays array. Multidimensional arrays. | 02 |
| Programme of 1 Simpson's ¹/₃ rd Gauss's Elimin Gauss seidal me Numerical diffe Lagrange's inter Newton's Interp | Palse poisson method, Newton – Rapson's method rule. ation method. ethod. | |

| Course Title | Differential Equation and Special Functions | |
|---------------------------------------------|-----------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|--------------------|
| Type of Cour | rse Theory, Paper VI | |
| Course Asses | | |
| | Semester Examination 70% | h |
| | · · · · · · · · · · · · · · · · · · · | No of Questions |
| LINIT L Introd | uction to Generalized Hyper geometric function, Differential Equations satisfied by | Questions |
| pFq. Saclehut ' | , , , , , , , , , , , , , , , , , , , , | |
| | rem, Dixon's theorem, Integrals involving generalized hyper geometric functions. | 02 |
| | action relations, Kummer's theorem, ramanujan's theorem. | 02 |
| UNIT II | etion relations, Rummer's theorem, ramanajan's theorem. | |
| Introduction to | Hermite Polynomials, Recurrence Relation, Orthogonal properties, expansion of enerating functions, Rodrigues formula for Hermite Polynomials. | 02 |
| formula and Orthogona generating fund | Laguerre's Polynomials, recurrence relations, generating functions, Rodrigue's lity. Expamry special results, Laguerre's associated differential equations. More ctions. | 02 |
| | Jacobi Polynomials, Generating functions, Rodrigue's formula and Orthogonality, Elliptic function. Properties. Weierstrass ellipite, Jacobian theta function, Zeroes of | 02 |
| Textbooks */ Reference Books | W T Reid – Ordinary Differential Equations, John Wiley & Sons NY (1971). E A Coddington and Levinson – Theory of Ordinary Differential Equations, Mill NY (1955) Sneddon I N (1961) – Special Functions of Mathematical Physics and Chemis Oliver and Boyd, Edinburg Bell W W (1966) – Special functions for Scientific and Engineers, D Van Not Conv. Ltd. London. Rainville, E D (1960) Special Functions, Macmillan, New York. | Mc Graw stry; |

| Course Title | Differential Geometry and Tensor Calculus | |
|------------------------------------------------------------------------------------|-----------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-----------|
| Type of Course | Theory, Paper VII | |
| Course Assessment | Sessional Tests 30% | |
| | Semester Examination 70% | |
| | | No of |
| UNIT I | | Questions |
| | and torsion. Serret- Frenet formula. Circular helix, the circle of curvature. | |
| - | • | 02 |
| Osculating sphere, Bert | rand curves. | 02 |
| directions and principa theorem of Euler, Co | rametric curves. fundamental magnitude, curvature of normal section. Principal l curvatures, lines of curvature, Rodrigues formula. Dupin's theorem, njugate directions and Asymptotic lines. | 02 |
| UNIT III | | |
| 1 - | of surfaces Envelope the edge of regression, Developables associated with s-differential equation of Geodesic. Torsion of a Geodesic. | 02 |
| UNIT IV | | |
| | ra, Quotient theorem. Metric Tensor, Angle between two vectors. | 02 |
| Reference 2. C.H. P.P. P. P. C.H. P.P. P. P. P. P. P. P. | N. Sharma and A.R. Vasistha, Differential Geometry. E. Weatherburn. Differential geometry of three dimensions. C. Gupta & G.S.Malik. Three dimensional differential geometry. E. Weatherburn. Tensor calculus. E. Mishra, Tensor Calculus and Riemanian Geometry. | |

| Course Title | | Analytical Dynamics and Gravitation | |
|---------------------|-----------|----------------------------------------------------------------------------------------------------------------------------------------------------------|--------------------|
| Type of Course | | Theory, Paper VIII | |
| Course Assessme | ent | Sessional Tests 30% | |
| | | Semester Examination 70% | |
| | | Contents of Syllabus | No of Questions |
| UNIT I | | | |
| Generalized coordi | inates I | Holonomic and Non-holonomic systems. Scleronomic and Rheonomic | |
| systems. Generaliz | zed pote | ential. Lagrange's equations of first kind. Lagrange's equations of second | 02 |
| kind. Energy equat | tion of | Conservative fields. | |
| UNIT II | | | |
| Hamilton's variable | es, Har | milton canonical equations. Cyclic coordinates Routh's equations, Jacobi- | 02 |
| Poisson Theorem. | Funda | mental lemma of calculus of variations. | |
| Motivating probler | ms of c | calculus of variations. Shortest distance. Minimum surface of revolution. | |
| Brachstochrone pro | oblem, | , Geodesic. | |
| UNIT III | | | |
| Hamilton's Principl | le, Prin | ciple of least action. Jacobi's equations. Hamilton-Jacobi equations. Jacobi | 02 |
| theorem. Lagrange | bracke | ets and Poisson brackets. Invariance of Langrange brackets and Poisson | |
| brackets under can | onical | transformations. | |
| UNIT IV | | | |
| Gravitation: Attrac | ction a | nd potential of rod, spherical shells and sphere. Laplace and Poisson equations. | 02 |
| Work done by self | f attract | ting systems. Distributors for a given potential. Equipotential surfaces. | |
| 1 CALDOORS | Refere | | |
| */ | | I. Goldstein, Classical Mechanics (2"d edition), Narosa Publishing House, New | Delhi. |
| Reference | | .M.Gelfand and S.V.Fomin Calculus of variation, prentice Hall. | 70 |
| Books | • S | L. Loney, An elementary treatise on Statics, Kalyani Publishers, N. Delhi 19' A.S.Ramsey, Newtonian Gravitation. The English Language Book Society and | /9. the |
| | Ca | mbridge University Press. | |
| | • N | I.C. Rana & P.S.Chandra Joag, Classical Mechanics. Tata McGraw Hill 1991. ours N. Hand and Jane!, D. Finch, Analytical Mechanics, Cambridge Universit | ъ |
| | • L | ours N. Hand and Jane!, D. Finch, Analytical Mechanics, Cambridge Universit | y Press, |
| | 177 | , | |
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| Course Title | Difference Equations | |
|-----------------------------------------------------------------|--------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|--------------------|
| Type of Course | Theory, Paper IX [A] | |
| Course Assessme | ent Sessional Tests 30% | |
| | Semester Examination 70% | |
| | U | No of Questions |
| UNIT I | | |
| and problems. Fun Relation between of One or more missin | nite differences: Introduction of finite difference — Differences. Differences formulae adamental theorem of difference calculus, properties of the operators A and E, operator E of finite differences and differential coefficient D of differential calculus. In the second of the operator B of finite differences and differential coefficient D of differential calculus. In the second of the operator B of finite differences and differential coefficient D of differential calculus. In the second of the operators A and E, operator E of finite difference calculus, properties of the operators A and E, operator E of finite difference calculus, properties of the operators A and E, operator E of finite difference calculus, properties of the operators A and E, operator E of finite difference calculus, properties of the operators A and E, operator E of finite difference calculus, properties of the operators A and E, operator E of finite difference and differential coefficient D of differential calculus. In the operator E of finite difference calculus, properties of the operators A and E, operator E of finite difference calculus, properties of the operators A and E, operator E of finite difference calculus, properties of the operators A and E, operator E of finite difference calculus, properties of the operators A and E, operator E of finite difference calculus, properties of the operators A and E, operator E of finite difference calculus, properties of the operators A and E, operator E of finite difference calculus, properties of the operators A and E, operator E of finite difference calculus, properties of the operators A and E, operator E of finite difference calculus, properties of the operators A and E, operator E of finite difference calculus, properties of the operators A and E, operator E of finite difference calculus, properties of the operators A and E operat | 02 |
| UNIT II | | 02 |
| Difference equation various type of line independent function | ns: Introduction. definition of difference equation. solution of the difference equations. For difference equation as limit of difference equations. Linearly ons. Homogenous difference equation with constant coefficients. Homogenous linear his with variable coefficients. existence and uniqueness theorem. | |
| coefficient and spe . equation with con matrix method for | equation with constant coefficient, method of undetermined coefficient ecial operator method to find particular solution, Solution of linear difference estant coefficient using Variation of parameter, calculation of nth power of a matrix A, the solution of system of linear difference equation, generating function technique to ence equation, applications of difference equations, cobweb phenomenon. | 02 |
| UNIT IV | | 02 |
| | of partial differential equations : Boundary — value problem with boundary conditions. wave equations. Heat equation. | |
| Textbooks | Calvin Ahlbrandt and Allan C. Peterson. Discrete Hamiltonian Systems. | |
| */ | Difference | |
| Reference Books | Equations. Continued Fractions and Riecati Equations. Kluwer. Boston 1996. Kalman Busby and Ross, Discreate Mathematical structure, Pearsion education. Elaydi, Difference equation, springer. | |

| Course Title | | Number Theory | |
|--------------------------------------------|----------------------|-----------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-----------------|
| Type of Course | | Theory, Paper IX [B] | |
| Course Assessr | nent | Sessional Tests 30% | |
| | | Semester Examination 70% | |
| | | Contents of Syllabus | No or Questions |
| UNIT I Divisibity theory: Fundamental theo | | Common divisor, Least common multiple, linear diophantine equation, arithmetic | 02 |
| UNIT II | | | 02 |
| Congruences : Re Theorem, polynom | nial cong | ystem, test of divisibility, linear congruencs, Chinese Remainder gruences, application in solution of Diophantine equation, Fermat's Little enaralization of FLT1, Wilson's theorem. | |
| numbers, the Mob | ius Inve operties | cr and z), definitions, examples and their properties, perfect ersion formula, properties of Mobius function, convolution of arithmetic of arithmetic functions, recurrence functions, Fibonacci numbers and s. | 02 |
| Gauss Lemma,Jac | obi syn | lratic Reciproctiy law, Euler's criterion, Legendre symbol and its properties, abol and its properties. ple cryptosystem, Enciphering matrices, Idea of public key cryptography. | 02 |
| Textbooks */ | • Dif | Calvin Ahlbrandt and Allan C. Peterson. Discrete Hamiltonian System | |
| Reference Books | • S.Elay | Equations. Continued Fractions and Riecati Equations. Kluwer. Boston 19 Kalman Busby and Ross, Discreate Mathematical structure, Pearsion educidi, Difference equation, springer. | |

| TE 4.7 | Advanced Discrete Mathematics | |
|-------------------------------------------------------------------------------------------|------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-----------------|
| Type of Cours | se Theory, Paper IX [C] | |
| Course Assess | | |
| | Semester Examination 70% | 1 |
| | Contents of Syllabus | No of Questions |
| UNIT I | | |
| Languge and gra | ammars, Finite state machines with output, Finite state machines with no output, Finite | |
| state Machine, F | Finite state automata, deterministic finite state automata(DFSA), non deterministic | 02 |
| finite state autor | mata(NDFSA), transition diagram. | |
| | | 02 |
| UNIT II | | 02 |
| Equivalence of | DFSA and NDFSA, Moor machine, Mealy machine and Turning machine, | |
| _ | regular expressions, Language determined by finite state automaton, grammars. | |
| Languages and I | egalar expressions, Language determined by innie state datomaton, grammars. | |
| UNIT III | | |
| | | 02 |
| | ex colouring, chromatic number, chromatic polynomial, Brooks theorem, edge | |
| colouring, chron | natic index, map colouring, six colour theorem, Five colour theorem. | |
| | | |
| | | |
| | | 02 |
| IIINIT IV | | 02 |
| UNIT IV Hamiltonian gra | onh Ore's theorem Dirac' theorem. The Shortest nath problem. Dijketra's | 02 |
| Hamiltonian gra | aph,Ore's theorem, Dirac' theorem, The Shortest path problem, Dijkstra's | 02 |
| Hamiltonian gra algorithm. Hall's | marriage, theorem, transvarsal theory, Alternative proof of Hall's theorem using | 02 |
| Hamiltonian gra algorithm. Hall's transversal theor | marriage, theorem, transvarsal theory, Alternative proof of Hall's theorem using ry, applications of Hall's theorem. | 02 |
| Hamiltonian gra algorithm. Hall's transversal theor Textbooks | marriage, theorem, transvarsal theory, Alternative proof of Hall's theorem using ry, applications of Hall's theorem. 1. Graph Theory — R. J. Wilson. | |
| Hamiltonian gra algorithm. Hall's transversal theor Textbooks */ | marriage, theorem, transvarsal theory, Alternative proof of Hall's theorem using ry, applications of Hall's theorem. 1. Graph Theory — R. J. Wilson. 2. Kalman Busby and Ross, Discreate mathematical structure, Pearsion education. | |
| Hamiltonian gra algorithm. Hall's transversal theor Textbooks */ Reference | marriage, theorem, transvarsal theory, Alternative proof of Hall's theorem using ry, applications of Hall's theorem. 1. Graph Theory — R. J. Wilson. 2. Kalman Busby and Ross, Discreate mathematical structure, Pearsion education. 3. D. S. Malik and M. K. Sen: Discrete mathematical structures: theory and application. | |
| Hamiltonian gra algorithm. Hall's transversal theor Textbooks */ | marriage, theorem, transvarsal theory, Alternative proof of Hall's theorem using ry, applications of Hall's theorem. 1. Graph Theory — R. J. Wilson. 2. Kalman Busby and Ross, Discreate mathematical structure, Pearsion education. 3. D. S. Malik and M. K. Sen: Discrete mathematical structures: theory and application Thomson; | |
| Hamiltonian gra algorithm. Hall's transversal theor Textbooks */ Reference | marriage, theorem, transvarsal theory, Alternative proof of Hall's theorem using ry, applications of Hall's theorem. 1. Graph Theory — R. J. Wilson. 2. Kalman Busby and Ross, Discreate mathematical structure, Pearsion education. 3. D. S. Malik and M. K. Sen: Discrete mathematical structures: theory and application. | ns; |
| Hamiltonian gra algorithm. Hall's transversal theor Textbooks */ Reference | marriage, theorem, transvarsal theory, Alternative proof of Hall's theorem using ry, applications of Hall's theorem. 1. Graph Theory — R. J. Wilson. 2. Kalman Busby and Ross, Discreate mathematical structure, Pearsion education. 3. D. S. Malik and M. K. Sen: Discrete mathematical structures: theory and application Thomson; Australia; 2004. 4. Edward R. Scheinerman: Mathematics A Discrete Introduction; Thomson Asia | ns; |
| Hamiltonian gra algorithm. Hall's transversal theor Textbooks */ Reference | marriage, theorem, transvarsal theory, Alternative proof of Hall's theorem using ry, applications of Hall's theorem. 1. Graph Theory — R. J. Wilson. 2. Kalman Busby and Ross, Discreate mathematical structure, Pearsion education. 3. D. S. Malik and M. K. Sen: Discrete mathematical structures: theory and application Thomson; Australia; 2004. | ns; |

| Course Title | 9 | Functional Analysis | |
|---------------------|-------------|------------------------------------------------------------------------------------|-----------------|
| Type of Cou | irse | Theory, Paper X | |
| Course Asse | essment | Sessional Tests 30% | |
| | | Semester Examination 70% | h |
| | | v | No of Questions |
| UNIT I | | | Questions |
| Normed linear | r spaces. I | Banach spaces and examples. Quotient space of normed linear spaces and its | |
| completeness, | equivaler | nt norms. | 02 |
| UNIT II | | | |
| | ar transfo | rmations, normed linear spaces of bounded linear transformations, dual spaces | 02 |
| | | anach theorem Open mapping and closed graph theorem, the natural imbedding | |
| of N in N**. I | Reflexive | spaces. | |
| UNIT III | | | |
| - ' | t spaces. | Hilbert spaces. Orthonormal Sets. Bessel's inequality. Complete orthonormal | 02 |
| - | - | atity. Projection theorem. Rietz representation theorem Adjoint of an operator on | |
| a Hilbert space | e. | | |
| UNIT IV | | | |
| | of Hilber | t spaces. Self-adjoint operators. Positive, normal and unitary operators. | 02 |
| 2 | | nation & linear functionals | 02 |
| | transform | Marion & moder renovings | |
| Textbooks | Referenc | • • • • • • • • • • • • • • • • • • • • | |
| */ | | F. Simmons, Topology and modern analysis TMH. | |
| Reference | | Bachman and L. Narici, Functional Analysis, Academic Press, 1966. | |
| Books | | E. Edwards, Functional Analysis. Holt Rinehart and Winston, New York 1958. | |
| | | . Goffman and G. Pedrick. First Course in Functional Analysis, Prentice Hall of In | dia, New |
| | | elhi. 1987. | • |
| | 5 E | . Kreyszig, Functional analysis with application, John wiley and sons. | |
| | | | |

| Course Title | | Partial Differential Equations | | |
|----------------|---------------------------|---------------------------------------------------------------|-----------|----|
| Type of Cou | irse | Theory, Paper XI | | |
| Course Asse | essment | Sessional Tests 30% | | |
| | | Semester Examination 70% | | |
| | | Contents of Syllabus | No | of |
| | | | Questions | S |
| UNIT I | | | | |
| | | ations of two and three dimensional Laplace equation in | | |
| Cartesian foni | n. Properties of Harmoni | c functions. Boundary value problems. | 02 | |
| | | | | |
| UNIT H | D : .: 10 1 | | 02 | |
| | | amental solution of one dimensional Heat equation in | 02 | |
| Cartesian forn | n. Application problems. | | | |
| UNIT III | | | | |
| Wave equation | n — Derivation and fund | amental solution of one dimensional wave equation in | 02 | |
| Cartesian forn | n. Application problems. | _ | | |
| UNIT IV | | | | |
| | d a vaina Cananatian a | franishles Farmien transforms and Louless transforms. Crasale | 02 | |
| _ | <u> </u> | f variables, Fourier transform and Laplace transform, Green's | 02 | |
| function and s | solutions of boundary val | lue problems. | | |
| Textbooks | References: | | | |
| */ | I. L.C. Evans, Par | tial Differential Equations, Graduate Studies in Mathema | tics, | |
| Reference | Volume 19, AM | * | | |
| Books | , | of integrals transforms McGraw Hill. | | |
| | | Ravindran; Partial Differential equation. | | |
| | | rtial differential equation, new age. | | |
| | . ix. bullion 100, I u | in an | | |
| | 1 | | | |

| Course Title | | Fluid Mechanics | |
|---------------------|-----------|---------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|--------------------|
| Type of Cour | se | Theory, Paper XII | |
| Course Assess | sment | Sessional Tests 30% | |
| | | Semester Examination 70% | |
| | | Contents of Syllabus | No of Questions |
| UNIT I | | | |
| Kinematics — I | _agrangi | an and Eulerian methods. Equation of continuity in different coordinate | |
| | | aces. Stream lines. Path lines and streak lines. Velocity potential, al motions. Vortex lines. | 02 |
| UNIT II: | [ation | Lagrange is and Eulania agreetions of mation. Domestillis the agree | 02 |
| | | Lagrange 's and Euler's equations of motion. Bernoulli's theorem. lux method. Impulsive actions. Stream function Irrotational motion. | 02 |
| Conformal map | • • | ential. Sources, sinks doublets and their images in two dimension. ilne-Thomson circle theorem. | 02 |
| cylinders in an i | nfinite r | ational motion produced by motion of circular, co-axial and elliptic mass of liquid. Theorem of Blasius. Motion of a sphere through a liquid at treaming past a fixed sphere. Equation of motion of a sphere. | 02 |
| Textbooks | 1. Del | W.H.Besaint & A. S. Ramsey. A Treatise on Hydro mechanics. Part II. CBS hi. 1988. | Publishers. |
| */ | 2. | G.K. Batchelor. An Introduction of Fluid Mechanics. Foundation Books. N | Jew Delhi |
| Reference | 199 | | .c., Donn. |
| Books | 3. | F. Choriton. Textbook of Fluid Dynamics. C.B.S. Publishers. Delhi 1985 | _ |
| DUM | 4. | Fluid mechanics — Bansal. | • |
| | 5. | Fluid dynamics, M.D. Raisinghania, S.Chand Publication. | |
| | | | |

| Course Title | | Fuzzy Sets And Their Applications | | |
|---------------------|--------------|-------------------------------------------------------------------------------|-----------|----|
| Type of Cou | | Theory, Paper XIII [A] | | |
| Course Asses | ssment | Sessional Tests 30% | | |
| | | Semester Examination 70% | 1 | |
| | | Contents of Syllabus | No | of |
| UNIT I | | | Question | 18 |
| | laval cate | . Convex fuzzy sets. Basic operations on fuzzy sets. Types of fuzzy sets. | | |
| | | gebraic products. Bounded sum and difference. T-norms and t-conorms. The | 02 | |
| | | The Zadeh's extension principle. Image and inverse image of fuzzy sets. | 02 | |
| | - | its of fuzzy arithmetic. | | |
| ruzzy number | S. Elemen | its of fuzzy arithmetic. | | |
| UNIT II | | | | |
| | itions and | l Fuzzy Graphs — Fuzzy relations on fuzzy sets. Composition of | 02 | |
| | | zy relation equations. Fuzzy graph. Similarity relation | | |
| | 0115. 1 0.22 | 2) Totalion of dancers, I desprise summerly Totalion | | |
| UNIT III | | | | |
| | | zzy measures. Evidence theory. Necessity measure. Possibility measure. | 02 | |
| _ | | Possibility theory and fuzzy sets. Possibility theory versus probability theo | | |
| | | rview of classical logic. Multivalued logics. Fuzzy propositions. Fuzzy | | |
| | | e variables and hedges. Inference from conditional fuzzy propositions. | | |
| the compositio | nal rule o | of inference. | | |
| UNIT IV | | | | |
| | n to Euge | y Control-Fuzzy controllers. Fuzzy rule base. Fuzzy inference engine. | 02 | |
| | | ication and the various defuzzification methods (the center of area. the | 02 | |
| | | the mean of maxima methods). | | |
| | | zzy Environment-Individual decision making. Multiperson decision | | |
| making. | ing in ru. | zzy Environment-marvidual decision making. widitiperson decision | | |
| _ | ecision ma | aking. Multistage decision making. Fuzzy ranking methods. Fuzzy linear | | |
| programming. | | aking. Wutustage decision making. I uzzy fanking methods. I uzzy miear | | |
| programming. | | | | |
| Textbooks | • F | H.J. Zimmermann: Fazzy set theory and its Applications. Allied Publishers L | d New | I |
| */ | | Delhi. 1991. | .a. 11011 | , |
| Reference | | 222 | | |
| Books | | | | |

| Course Title | | Algebraic Topology | |
|---------------------|----------------------------|------------------------------------------------------------------------------------------------------------------------------|-----|
| Type of Cou | ırse | Theory, Paper XIII [B] | |
| Course Asse | essment | Sessional Tests 30% | |
| | | Semester Examination 70% | |
| | | Contents of Syllabus | |
| UNIT I | C 1 | | |
| | | opy of maps between topological spaces. homotopy | 0.2 |
| | | connected spaces. fundamental groups of S and S ¹ x S ¹ etc. | 02 |
| | | S. N>1 using Van Kampen's theorem. fundamental groups of a | |
| | | oint theorem. fundamental theorem of algebra. vector fields on | |
| 1 | Frobenius theorem for 3 | x 3 matrices. | |
| UNIT II | : | | 02 |
| | | eorem. covering homotopy theorems. group of covering | 02 |
| | | aps in terms of fundamental groups. universal covering. its | |
| | | and topological groups. | |
| | | y. Eilenberg Steenrod axioms of homology (no proof for axiom and exact segnence axiom) and theory application. | |
| | en fundamental group a | | |
| UNIT III | ch fundamental group a | nd mst nomology. | |
| | f homology of S. Brou | uwer's fixed point theorem for $f: E^n \rightarrow E$, application | 02 |
| | | is sequence (without proof) & its applications. Singular | 02 |
| | | oduct. connecting homomorphism. contra-functoriality of | |
| | | ality of connecting homomorphism. exact cohomology | |
| | | ce. excision properties. cohomology of a point. Mayer vietoris | |
| sequence and | its application in comp | utation of cohomology of S ⁿ . RP". CP ^I torus. compact surface | |
| | non-orientable compac | | |
| | 1 | | |
| UNIT IV | antad 2 manifolds thair | a animatabiliary and man animatabiliary arrangeles assumented arms | 02 |
| | | r orientability and non-orientability. examples. connected sum. Klein's bottle from a square. Klien's bottle as union of two | 02 |
| | | | |
| | triangulation of compac | orus and projective plannes. Klin's bottle as union of two | |
| | | faces. connected sum of tours and projective plans as the | |
| | | anes. Euler characteristic as a topological invariant of compact | |
| | 2 2 2 | anofolds with boundary and their classifications. Euler | |
| | | odels of compact bordered surfaces in R ³ . | |
| | or a coracted surface, III | odels of compact bordered surfaces in it. | |
| Textbooks | References: | | |
| */ | | s. Topology — A first Course. Prentice Hall of India Pvt. Ltd., | |
| . , | Julies IX. Mulikie | s. Topology It first Course. I tentice fruit of fruit it. Ltd | New |
| Reference | Delhi, 1978. | 5. Topology 71 Hist Course. Trentice Train of Hidia I vt. Etd., | New |

| Course Title | Mechanics of Solids | |
|----------------------------------------------|--------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|--------------------|
| Type of Course | Theory, Paper XIV [A] | |
| Course Assessmen | | |
| | Semester Examination 70% | 1 |
| | Contents of Syllabus | No of Questions |
| interpretation of the | Affine transformation. Infinite simal affine deformation. Geometrical components of stain. Strain quadric of Cauchy. Principal strains and | 02 |
| invariants. General inf deformations. | inite simal deformation. Saint-Venant's equations of Compatibility. Finite | |
| UNIT II | | |
| | ess tensor. Equations of equilibrium. Transformation of coordinates. Stress ncipal stress and invariants. Maximum normal and shear stresses. | 02 |
| UNIT III | | |
| moduli for isotropic requations for an isotr | ty. Generalized Hooke's law. Homogeneous isotropic media. Elasticity media. Elasticity moduli for isotropic media. Equilibrium and dynamic opic elastic solid. Strain energy function and its connection with Hooke's lution Beltrami-Michell compatibility equations. Saint-Venant's principle. | 02 |
| | ylindrical bars. Tortional rigidity. Torsion and stress functions. Lines of | |
| | e problems — Plane stress. Generalized plane stress. Airy stress function. | |
| | Biharmonic equation. Stresses and displacements in terms of complex | |
| | oblems. Stress function appropriate to problems of plane stress problems of ith displacements or stresses prescribed on the plane boundary. | |
| UNIT IV | | |
| | of waves in an isotropic elastic solid medium. Waves of dilation and | 02 |
| | es. Elastic surface waves such as Rayleigh and Love waves. — Theorems of minimum potential energy. Theorem of minimum | |
| | gy. Reciprocal theorem of Betti and Rayleigh. Deflection of elastic string | |
| | and elastic membrane. Torsion of cylinders. Variational problem related to | |
| biharmonic equation. | Solution of Euler's equation by Ritz. Galerkin and Kantorovich methods. | |
| Refe | rences: | |
| Textbooks */ | • I.S. Sokolnikoff, Mathematical Theory of Elasticity. Tata McGraw-Hill Company Ltd., New Delhi. 1977. | Publishing |
| Reference Books | A. E. Love. A Treatise on the Mathematical Theory of Elasticity. Cambrid Press. London. 1963. | ge University |
| | Y.C. Fung Foundations of Solid Mechanics. Prentice Hall, New Delhi. 19 S. Timoshenko and N. Goodier. Theory of Elasticity, McGraw Hill, New York 1970 | 65. |

| Course Title | Operations Research | |
|----------------------------------------------------|-------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|------------------|
| Type of Cour | | |
| Course Asses | sment Sessional Tests 30% | |
| | Semester Examination 70% | |
| | | No of |
| UNIT I | | Questions |
| Sequencing: I | ntroduction, sequencing problem with n-jobs and two machines. optimal blems with n-jobs and three machine. Problems with n-jobs and m-machine, on. | 02 |
| Replacement or remains same of | Problems: Introduction, replacement of item that Deteriorate with time, fitems whose maintenance costs change with time and the value of money luring the period. replacement of items whose maintenance costs increase with time money also changes with time. replacement of items that fail completely, individual | 02 |
| replacement po Queuing theor Poisson proces | licy, group replacement policy. y: Introduction, characteristics of queuing system, queue discipline, symbols etc. s and exponential distribution, properties of Poisson process, classification of ion of transient and steady state, model (M/M/L) (Din Fo), (M/M/I) (SIRO) | |
| problems, probl linear programr | rogramming — Introduction, definitions of general non-linear programming lems of constrained maxima and minima; necessary and sufficient conditions for non-ning problems, Hessian — matrix, Lagrangian functions with Lagrangian multiplier. not all equality constraints. sufficiency of saddle point problem. Kuhn-Tucker | 02 |
| UNIT IV Non-linear prog method. Beale's | ramming techniques — Introduction of GMPP & GN 1 PP its sanction by Wolfe's s method. | 02 |
| Textbooks I */ Reference Books | F.S. Hillier and G. J. Lieberman. Introduction to Operations Research (Sixth McGraw Hill International Edition. Industrial Engineering Series. 1995 (This bowith a CD containing tutorial software). G. Hadley, Linear Programming. Narosa Publishing House. 1995. G. Haadly. Nonlinear and Dynamic Programming. Addisor-Wisely. Reading Kanti Swarup, P.K.Gupta and Man Mohan, Operations Research, Sultan Chandon New Delhi. S. S. Rao. Optimization Theory and Applications. Wiley Eastern Ltd., New I | Mass. & Sons, |

| Course Title | | Differentiable Structures On A Manifold | | |
|--------------------------------------------------------|--------------------------------------|-----------------------------------------------------------------------------------------------------------------------------------------------------------------------|---------------|----------|
| Type of Course | e | Theory, Paper XIV [C] | | |
| Course Assessi | ment | Sessional Tests 30% Semester Examination 70% | | |
| | | Contents of Syllabus | No Questio | of ns |
| connections. Kah | ler mani | lds. Riem Almost analytic vector .fields. Curvature tensor. Linear ifolds. Affine Connections. Holomorphic sectional curvature. t Analytic Vector fields | 02 | |
| UNIT II Nearly Kahler m analytic Vector F | | s. Curvature identities. Constant Holomorphic sectional curvature. Almost | 02 | |
| Contact Metric | manifo | . Analytic vector fields. Conformal transformation. Curvature identities, Almost olds — Almost Grayan manifolds. K-Contact Riemannian manifolds. ymplectic manifolds. | | |
| | | st Hermite and Kahler manifolds. Sub-manifolds of almost contact metric folds of Kahler manifolds and Sasakian manifolds. The integrability of | | |
| */ | Referer R.S. Misl 1984. | ices: hra. Structures on a differentiable manifold and their applications. Chadrama Prakashan. Alla | ahabad, | |

| Course Title | Information Theory | |
|------------------------------------------------------------------------------------------------|--------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|--------------------|
| Type of Course | | |
| Course Assessr | | |
| | Semester Examination 70% | h |
| | Contents of Syllabus | No of Questions |
| UNIT I | | Questions |
| Measures of information properties. Joint a Noiseless coding | rmation. Axioms for a measure of uncertainty. The Shannon entropy and its and conditional entropies. Transformation and its properties. — ingredients of noiseless coding problem. Uniquely decipherable codes. fficient condition for the existence of instantaneous codes. Construction of | 02 |
| Calculation of ch | less channel. Classification of channels. Information processed by a channel nannel capacity. Decoding schemes. The ideal observer. The fundamental nation theory and its strong and weak converses | 02 |
| continuous rando | nels — The time- discrete Gaussian channel. Uncertainty of an absolutely m variable. The converse to the coding theorem for time-discrete Gaussian e-continuous Gaussian channel. Band-limited channels. | 02 |
| continuous at the functions and ent and Leo. The gentheir role in the state of the branching p | etions, the fundamental equation of information, information functions origin, nonnegative bounded information functions, measurable information ropy. Axiomatic characterizations of the Shannon entropy due to Tverberg eral solution of the fundamental equation of information. Derivations and endy of information functions. Toperty. Some characterizations of the Shannon entropy based upon the ty. Entropies with the sum property. The Shannon inequality. Sub additive. | 02 |
| Textbooks/ Reference Books | References: 1. R. Ash. Information Theory, Inter science Publishers. New York 1965. 2. F.M.Reza. An introduction to information Theory. Mc Graw-Hill Book Company inc. 1961. 3. J. Aczel and Z. Daroczy. On measures of information and their character Academic press. New York | rizations. |

| Course Title | | Integral Transforms | | |
|-------------------------------------|-----------------------------|--------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-------------------------------------------------------------------------------------------------------------------------------|------------------------|
| Type of Cours | e | Theory, Paper XV [A] | | |
| Course Assess | ment | Sessional Tests 30% | | |
| | | Semester Examination 7 | | |
| | | Contents o | of Syllabus | No of Questions |
| convergence, ab Inversion formul | solute co a. form-Ele | onvergence, Uniform convergence, Uniform convergence of the transfer of the tr | inition Region of convergence. abscissa of ergence of Laplace Transform. Complex ransform. Relation to the Laplace transform. | 02 |
| Transform, Fou | rier cosi | ine transform. Inversion t | nition of Fourier transform. Fourier Sine cheorem for complex fourier transform. Fourier transforms. Parseval's identity of | 02 |
| | | refinition of Mellin transformategral expressions. | m and its properties. Mellin transforms of | 02 |
| | | | n and its elementary properties. Inversion formula vatives, Parseval's theorem. | 02 |
| Textbooks */ Reference Books | | Laplace Transforms - of Integral Transforms | D.V.Widder Sneddon | |

| Course Title | | Algebraic Coding Theory | |
|-----------------------------------------------------------|-----------------------------------------------|--------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-----------------|
| Type of Course | e | Theory, Paper XV [B] | |
| Course Assessi | nent | Sessional Tests 30% | |
| | | Semester Examination 70% | |
| | | Contents of Syllabus | No of Questions |
| UNIT I | | | |
| 0 2 1 | | ion, examples, Impotant code parameters, Correcting and detecting ound, Gilbert-Varshamov bound, Sigleton bound. | 02 |
| | | aces over finite fields,Linearcodes,Binary linear, Hamming weight, Bases or matrix and parity check matrix | 02 |
| * | | des, Encoding with a linear code, Decoding of linear codes, Cosets, ling for linear codes, Syndrom decoding. | 02 |
| matrices, Decoding of Codes, Decoding of Generator and Pa | ng of cy lic code of BCH o arity-che | Generator and parity check polynomials, Generator and parity check, cclic codes, Burst-error-correcting codes. Reed-Solomon codes. es: BCH codes, RS codes, Defintions, Parameters of BCH codes.Reed-Muller Codes.Maximum-distance Separable (MDS) Codes. eck matrics.of MDS Code. Weight Distribution of MDS Code. MDS codes crived from Hadamard Matrices. | 02 |
| */ | 2. F.M Publish 3. San 4. App | II, Afirst course in codding theory, oxford university press factorial and N.Sloane, The Theory of error correcting codes, North Hollar ing company, Amsterdom. Ling and Chaoingxing, Coding Theory- A First Course. blied Abstract Algebra - Lid and Pilz 2nd Edition. Id K. Moon, Error Correction Coding, Wiley India | nd |

| Course Title | Mathematic of Finance and Insurance | |
|------------------|---------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|------------|
| Type of Course | | |
| Course Assessi | | |
| | Semester Examination 70% | |
| | v | No of |
| UNIT I | | Questions |
| | pplication of Mathematics and Finance & Insurance Optional Paper BMG 1 304 (a & | |
| b) F) | | 02 |
| | ives — An Introduction: Types of Financial Derivatives — Forwards and Futures: and : and SWAPS. | |
| - | eorem and Introduction to portfolio Selection and Capital Market Theory — Static | |
| and Continuous – | | |
| UNIT II | Time Woder. | |
| | ge — A Single — Period Option Pricing Model: Multi Pricing Model- | 02 |
| | stein Model: Bounds on Option Prices. | |
| | Derivative Prices-Stochastic Differential Equations (SDEs) — Major Models of | |
| | onstant Coefficient SDEs: Geometric SDEs: Square Root Process: Mean | |
| | s and Omstein-Uhlenbeck Process. | |
| | ne and Risk-Neutral Probabilities: Pricing of Binomial Options with equivalent | |
| martingale measu | | |
| UNIT III | | |
| The Black-Schol | les Option Pricing Model- Using no arbitrage approach, limiting case of | 02 |
| Binomial Option | Pricing and Risk-Neutral probabilities. The American Option Pricing-Extended | |
| | es; Analysis of American Put Options: early exercise premium and relation to free | |
| | ns. Concepts from Insurance : Introduction : The Claim Number Process : The | |
| | ess: Solvability of the Portfolio: Reinsurance and Ruin Problem. Premiumand | |
| | s-Premium Calculation Principles and Ordering Distributions. | |
| UNIT IV | | |
| | Aggregate Claim Amount-Individual and Collective Model: Compound Distributions | 02 |
| | of Distributions: Recursive Computation Methods: Lundberg Bounds and | |
| | y Compound Distributions. Risk Processes-Time-Dependent Risk | |
| | Arrival Processes: Ruin Probabilities and Bounds Asymptotic and | |
| | Time Dependent Risk Models — Ruin Problems and Computations of Ruin | |
| | Queuing Model: Risk Models in Continuous Time and Numerical Evaluation of Ruin | |
| Functions. | John C. Hull, Options. Futures and other derivatives. Prentice Hall of India l | Dx/t I + A |
| Textbooks */ | John C. Hull, Options. Futures and other derivatives. Prentice Hall of India I Sheldon M. Ross. An Introduction to Mathematical Finance. Cambridge Unive | |
| Reference | Press. | asity |
| Books | 11000. | |
| DUUKS | | |

| Course Title | Applied Statistics | | |
|-----------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|--------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|--------------|-----|
| Type of Course | Theory, Paper XV [D] | | |
| Course Assessment | Sessional Tests 30% | | |
| | Semester Examination 70% | N T . | . c |
| | Contents of Syllabus | No Questions | of |
| UNIT I | | Q | |
| Demand analysis. price elasticity and demand. partial elasticity of demand. Lontieg's method. Pigou's method. Engle's curve and Engle's law. Paretv's law of income distribution, curves of concentration. | | 02 | |
| UNIT II | | | |
| Analysis of Variance. One statistical analysis of C.R exception of sum of squ | e way classification, statistical analysis of the mode. Design experimentD. (Completely randomized design) least square estimates of effects. ares. randomized block design (R.B.D.). statistical analysis of R.B.D. for triment unit. Variance of estimates. expectation of sum of squares. efficiency a.D. | 02 | |
| UNIT III Design of sample survey. Principle steps in a sample survey sampling and non-sampling error. types of sampling. selection of a simple random sample, simple random sampling, stratified random sampling. Psychological and educational statistics — scaling of scores on a test. percentile scores, scaling of rankings, scaling of normal probability curves. scaling of ratings in terms of normal curve, reliability of test scars, error variance, index of reliability, parallel test method of determining test reliability. | | 02 | |
| population, measureme | vital statistics, methods of obtaining vital statistics, measurement of nt of mortality, crude death rate (C.D.R.) specific death rate (SDR). or (Mortality table). abridged life table, fertility measurement of | 02 | |
| Reference | Fundamental of Applied Statistics — S.C.Gupta& V. K. Kappor Statistical Method — S.P. Gupta An Introduction to statistical method — S.B.Gupta | | |

| Course Title | Boundary Layer Theory | | | |
|--------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|----------------------------------------------------------------------------------------|----|--|--|
| Type of Course | Theory, Paper XV [E] | | | |
| Course Assessment | Sessional Tests 30% | | | |
| | Semester Examination 70% | | | |
| Contents of Syllabus | | | | |
| UNIT I | | | | |
| Exact solution of Navier-Stoke's equation — flow between two concentric rotating cylinders. Hiemenz | | | | |
| flow. flow due to lane wall suddenly set in motion, flow due to an oscillating wall. | | | | |
| UNIT II | | 02 | | |
| Theory of very slow motion — flow past a sphere. (Stroke's flow). Flow past a sphere (Osceen'sflow), Lubrication Theory. | | | | |
| Theory of laminar boundary layer (a) two dimensional boundary layer equation for flow over a plane wall, boundary layer on a flat plate. (Blassius-Topler solution). | | | | |
| UNIT III | | | | |
| Characteristic of boundary layer parameters. (b) Similar solution of the boundary layer equation. boundary layer. How past a wedge boundary layer along the wall of a convergent channel. boundary layer on a symmetrically placed cylinder and body of evolution. | | | | |
| UNIT IV | | | | |
| Boundary layer control in laminar flow — methods of boundary layer control in laminar flow, boundary 02 | | | | |
| layer suction. | | | | |
| Textbooks • | Boundary layer theory —Slicsting. | | | |
| */ | Foundation of fluid dynamics S.W. Yuan, Prentice Hall of India (F) | | | |
| Reference | | | | |
| Books | | | | |

| Course Title | Dissertation | | |
|------------------------------|--------------------|--|--|
| Type of Course | PROJECT, PAPER XVI | | |
| Course Assessment | 100% | | |
| Contents of Syllabus | | | |
| Any one of the Special Paper | | | |
| | | | |
| | | | |